Projects

# Poster session



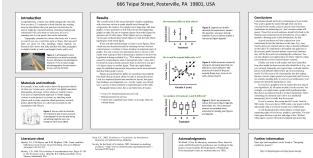
# Poster session



### POSTER SESSION

#### Title, formatted in sentence case (Not Title Case and NOT ALL CAPS), that hints at an interesting issue and/or methodology, doesn't spill onto a third line (ideally), and isn't hot pink

### Colin Purrington



4/7

# Example Conversations

- What is this work about?
- About the hyperreals, that are an extension of the real numbers to accomodate infinities and infinitesimals.
- What do you mean? Infinity is not a number!! And infinitesimals do not exist!!
- Well, this depends on your "definitions". In fact you can set up some axioms so that infinities and infinitesimals exist, and make calculus more intuitive.
- Wait, this makes no sense... Write to me in a piece of paper one of your infinitesimal numbers...
- We usually call it  $\varepsilon$ .
- No, no, no, no... I want you to write me the digits, the number...

- Digits are a representation of a concept. This representation is not useful for infinitesimals, you will have to live with calling it ε.
- Then you acknoledge that you cannot write down an infinitesimal... This is because they do not exist!!!
- I have written it:  $\varepsilon$ . By the way, you also cannot write  $\sqrt{2}$ , and this is why you use a symbol " $\sqrt{2}$ " to denote this number.
- But this is completely different: I can approximate  $\sqrt{2}$  very well by 1.4142....
- Ok, in this case ε, the infinitesimal, is also very well approximated by 0. In fact my approximation is infinitely better than yours!!

# Rules (no mercy!):

- Check by the end of this week that you have a poster number assigned in the web
  page of the course.
- "Posters" should all be emailed to me **before 14.12.2017**.
- Poster session date: 14.12.2017 FROM 15:00 TO 17:00.
- All members of the group must be present in the poster session.
- We will number the posters and take turns: even/odd.
- ► You will also check/evaluate your classmates posters.

### An example of what not to do:

Consider the polynomial

$$x^4 - 10x^2 + 1$$

which can also be written as

$$(x^2-5)^2-24.$$

We wish to describe the Galois group of this polynomial, again over the field of rational numbers. The polynomial has four roots:

$$A = \sqrt{2} + \sqrt{3}$$
$$B = \sqrt{2} - \sqrt{3}$$
$$C = -\sqrt{2} + \sqrt{3}$$
$$D = -\sqrt{2} - \sqrt{3}$$

There are 24 possible ways to permute these four roots, but not all of these permutations are members of the Galois group. The members of the Galois group must preserve any algebraic equation with rational coefficients involving A, B, C and D. This implies that the permutation is well defined by the image of A and that the Galois group has 4 elements. Therefore the Galois group is isomorphic to the Klein four-group.

This is no place for copying without understanding